Presenter's Notes

Analyzing Data

Principles to Actions: Effective Mathematics Teaching Practices

Slide	Facilitator should welcome participants and introduce him/herself to the
1	audience.
Slide	https://www.freeimages.com/search/that-me/3
2	Warm-up Activity:
	Ask participants to stand if:
	 If you love (summer, winter, spring, fall - select current season)
	If you love mathematics
	If you love teaching students
	If you are standing – this workshop if for YOU!
	Share with participants that this session will provide valuable insights for all –
	regardless of assigned grade level assignment!
Slide	Source: NCTM <u>www.nctm.org</u>
3	Review what has happened in the reform of mathematics education in the US:
	 1989: Curriculum and Evaluation Standards for School Mathematics
	In 1989, the National Council of Teachers of Mathematics (NCTM) released a
	document of major importance for improving the quality of mathematics
	education in grades K-12. This document, "Curriculum and Evaluation
	Standards for School Mathematics," contains a set of standards for judging
	mathematics curricula and for evaluating the quality of the curriculum and
	student achievement. It represents the consensus of NCTM's members about
	the fundamental content that should be included in the school mathematics
	curriculum, establishing a framework to guide reform in school mathematics.
	Inherent in the STANDARDS is the belief that all students need to learn more,
	and often different, mathematics.
	2000 Principles and Standards for School
	A comprehensive and coherent set of mathematics standards for each and
	every student from prekindergarten through grade 12, Principles and
	Standards is the first set of rigorous, college and career readiness standards for
	the 21st century. <i>Principles and Standards for School Mathematics</i> outlines the
	essential components of a high-quality school mathematics program. It

emphasizes the need for well-prepared and well-supported teachers and administrators, and it acknowledges the importance of a carefully organized system for assessing students' learning and a program's effectiveness. *Principles and Standards* calls for all partners—students, teachers, administrators, community leaders, and parents—to contribute to building a high-quality mathematics program for each and every student.

2006 Curriculum Focal Points

Curriculum Focal Points are the most important mathematical topics for each grade level. They comprise related ideas, concepts, skills, and procedures that form the foundation for understanding and using mathematics and lasting learning. Curriculum Focal Points have been integral in the revision of many state math standards for Pre-K through grade 8.

2010 Focus in High School Mathematics

Focus in High School Mathematics: Reasoning and Sense Making is a conceptual framework to guide the development of future publications and tools related to grades 9–12 mathematics curriculum and instruction. It suggests practical changes to the high school mathematics curriculum to refocus learning on reasoning and sense making. This shift constitutes a substantial rethinking of the high school math curriculum, advocating for more and better mathematics.

Slide 4

Source: NCTM *Principles to Actions* (www.nctm.org/principlestoactions)
Continuing its tradition of mathematics education leadership, NCTM has defined and described the principles and actions, including specific teaching practices, that are essential for a high-quality mathematics education for all students.

Slide 5

The development of the standards began with research-based learning progressions detailing what is known today about how students' mathematical knowledge, skill, and understanding develop over time. The knowledge and skills students need to be prepared for mathematics in college, career, and life are woven throughout the mathematics standards. However, the Standards do not describe or prescribe the teacher practices or actions that will ensure all students will be successful and mathematically literate.

Standards have contributed to higher achievement, but challenges remain. Slide 6 In 2019, the National Assessment of Educational Progress (NAEP) mathematics assessment was administered to representative samples of fourth- and eighth-grade students in the nation, states, the District of Columbia, Department of Defense schools, and 27 participating large urban districts. The assessment was delivered on digital devices and assessed students' knowledge and skills in mathematics and their ability to solve problems in mathematical and real-world contexts. Students also answered survey questions asking about their opportunities to learn about and engage in mathematics inside and outside of school. Mathematical performance, for PISA, measures the mathematical literacy of a 15-year-old student to formulate, employ and interpret mathematics in a variety of contexts to describe, predict and explain phenomena, recognizing the role that mathematics plays in the world. The mean score is the measure. A mathematically literate student recognizes the role that mathematics plays in the world in order to make well-founded judgments and decisions needed by constructive, engaged and reflective citizens. 2019 NAEP: Lower-, middle-, and higher-performing students at grades 4 and 8 made gains compared to the early 1990s and 2000; no significant progress was made at both grades for lower-performing students compared to a decade ago. Source: NCTM *Principles to Actions* (www.nctm.org/principlestoactions) Slide 7 Source: NCTM (www.nctm.org/principlestoactions) Summarize the Teaching and Learning Principle, noting the strong emphasis on promoting students' ability to make sense of mathematical ideas and to reason mathematically. Ask the participants to keep this Principle in mind throughout the session and in particular, as they watch the WV Classroom Video. **Prior to the workshop** and based on the expected number of participants, Slide prepare packets of the Beliefs About Teaching and Learning Mathematics 8 cards. Cut the cards apart, shuffle the cards and place them in an envelope. Each pair or group of participants will need one packet of cards. Also, prepare a packet of cards for you to use during the discussion of the activity.

During the activity, circulate among the pairs or groups of participants as they work to sort the belief cards. After all pairs or groups have completed the sorting task, ask the participants if there were any belief cards they found difficult to classify as either Productive or Unproductive. Ask why they found it difficult to assign the belief card to a category. Select a belief card from your packet and read the card to the participants. Ask the participants how they classified the belief and why. Repeat selecting cards and engaging the participants until 3 to 5 cards have been discussed. Be sure to select both Productive and Unproductive beliefs. At the end of the discussion, move to the next slide so that participants may see the correct sorting. Source: Principles to Actions, Ensuring Mathematical Success for All, (NCTM, 2014) pg. 11. Source: Principles to Actions, Ensuring Mathematical Success for All, (NCTM, Slide 9 2014) pg. 11. Source: NCTM Principles to Action (www.nctm.org/principlestoactions) Slide 10 Source: NCTM *Principles to Actions* (www.nctm.org/principlestoactions) Slide 11 These are the practices at the heart of the work of teaching. According to the research of D. Ball and F.M. Forzani they are the practices that are most likely to affect student learning. Give participants a few minutes to review the list of the eight, research-based, Mathematics Teaching Practices identified by NCTM as highly effective for student learning of mathematics. Ask the participants to identify the most significant noun within each of the eight practices. 1. Establish mathematics **goals** to focus learning. 2. Implement tasks that promote reasoning and problem solving. 3. Use and connect mathematical representations 4. Facilitate meaningful mathematical discourse. 5. Pose purposeful questions. 6. Build procedural **fluency** from conceptual understanding. 7. Support productive **struggle** in learning mathematics. 8. Elicit and use evidence of student thinking.

Slide teacher and her students. Describe the Analyzing Data math activity. Slide 14 Slide Source: Principles to Action: Ensuring Mathematical Success for All, No. 15 One of the research-based, teaching practices identified by NCTM is to importance of establishing clear mathematics goals to focus student and to guide teacher decisions. The mathematical purpose of a lesson not be a mystery to students. Classrooms in which students understate learning expectations for their work perform at higher levels than clawhere the expectations are unclear (Haystead and Marzano 2009; Hay 2009). Although daily goals need not be posted, it is important that standard the mathematical purpose of a lesson to the support of a leason to the support of a lea	rticipants
Slide 14 Slide Source: Principles to Action: Ensuring Mathematical Success for All, N. 2014, p. 12. One of the research-based, teaching practices identified by NCTM is to importance of establishing clear mathematics goals to focus student and to guide teacher decisions. The mathematical purpose of a lesson not be a mystery to students. Classrooms in which students understate learning expectations for their work perform at higher levels than clawhere the expectations are unclear (Haystead and Marzano 2009; Ha 2009). Although daily goals need not be posted, it is important that states and the states of the state	ing a WV
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understand the mathematical purpose of a lesson and how the activi	
contribute to and support their mathematics learning. Goals or esser	
questions motivate learning when students perceive the goals as cha	
but attainable (Marzano 2003; McTighe and Wiggins 2013). Teachers	
discuss student-friendly versions of the mathematics goals as approp	
during the lesson so that students see value in and understand the pu	
their work (Black and William 1998a; Marzano 2009). When teachers	
the goals during instruction, students become more focused and better perform self-assessment and monitor their own learning (Clarke, Time	
and Hattie 2004; Zimmerman 2001).	iperiey,
Slide Source: Principles to Action: Ensuring Mathematical Success for All, N	ICTM .
16 2014, p. 12.	,

Slide 17	Source: YouTube https://www.youtube.com/watch?v=EcZBUFqFLxc
Slide 18	Source: Principles to Action: Ensuring Mathematical Success for All, NCTM, 2014, p. 16.
	Compare the actions of teachers versus the actions of students when
	establishing mathematics goals to focus learning. Ask the participants if they believe the teacher actions above are routine in
	their schools. If yes, ask how they know. If no, ask what is needed for the
	teacher actions above to become routine in their school.
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Slide 20	•
Slide	THINK, PAIR AND SHARE
21	Ask participants to respond to the questions on the PowerPoint slide
	These will be general responses based on the participants' experiences and
	pedagogical knowledge.
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Slide 23	Source: Principles to Action: Ensuring Mathematical Success for All, NCTM, 2014, p. 17.
	There is no decision that teachers make that has a greater impact on
	students' opportunities to learn and on their perceptions about what
	mathematics is than the selection or creation of the tasks with which the
	teacher engages students in studying mathematics.
	Tasks should provide opportunities for students to think and make sense of mathematics.
	Having multiple entry points is very important because of the impact on
	equity. If students can make a table, create a drawing, or use manipulatives,
	the math becomes more accessible to students who might not immediately know how to solve the problem.

Slide 24	Source: Principles to Action: Ensuring Mathematical Success for All, NCTM, 2014, p. 17.
	Tasks should provide opportunities for students to make sense of
	mathematics. Rich mathematical tasks engage students in sense-making
	through deeper learning that require high levels of thinking, reasoning, and problem solving.
Slide 25	Source: Principles to Action: Ensuring Mathematical Success for All, NCTM, 2014, p. 18.
	THINK, PAIR AND SHARE:
	Ask participants if the math tasks provided in students' texts have all the
	characteristics of a GOOD math task. If NO, discuss what traits are usually
	missing in textbook provided math tasks.
	Ask participants to share how they find GOOD math tasks (outside of the
	adopted textbook) for their students.
Slide	THINK, PAIR AND SHARE
26	Ask participants to respond to the question. Remind them to utilize their
	completed Effective Teaching Look Fors form.
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Slide 28	Source: Principles to Action: Ensuring Mathematical Success for All, NCTM, 2014, p. 24
	Ask participants what is meant by representations of mathematical ideas.
Slide	Source: Principles to Action: Ensuring Mathematical Success for All, NCTM,
29	2014, p. 24
Slide	Source: Principles to Action: Ensuring Mathematical Success for All, NCTM,
30	2014, p. 25
	Engage participants in a discussion of the graphic. Some probing questions you might ask include:
	What is the distinction between physical and visual representations?
	Describe some physical representations that might support students' thinking.

	 Describe some visual representations you would expect students to produce.
	In the diagram, why do the arrows go both ways?
	The point is not for students to use different representations just for the sake
	of it. What's crucial is that students are using/connecting representations as
	TOOLS to solve problems and to build understanding of concepts. The depth
	of understanding is related to the strength of connections among
	mathematical representations that students have internalized (Pape and
	Tchoshanov 2001; Webb, Boswinkel, and Dekker 2008). For example, students
	develop understanding of the meaning of the fraction 7/4 (symbolic form)
	when they can see it as the quantity formed by "7 parts of size one-fourth"
	with a tape diagram or on a number line (visual form), or measure a string that
	has a length of 7-fourths yards (physical form).
	has a tengen of 7 fearens yards (physical ferm).
Slide	Source: Principles to Action: Ensuring Mathematical Success for All, NCTM,
31	2014, p. 25
Slide	Source: Virginia Department of Education Mathematics Institutes 2019
32	Professional Development Resources
	http://www.doe.virginia.gov/instruction/mathematics/professional_development/institutes/2019/index.shtml
	Provide participants with a copy of the Rich Mathematical Task Rubric. Allow
	time for participants to read the rubric.
	Discuss the Task Levels and the Descriptions for Representations and
	Connections.
Slide	THINK, PAIR AND SHARE
33	In pairs, ask participants to respond to the questions. Remind them to utilize
33	their completed <i>Effective Teaching Look Fors</i> form.
	their completed Lyjective reaching Look Fors form.
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Slide	Source: Principles to Action: Ensuring Mathematical Success for All, NCTM,
35	2014, p. 29
	Ask participants what their concerns are about facilitating meaningful
	mathematical discourse.

Slide Source: Asking Questions and Promoting Discourse, NCTM https://www.nctm.org/Conferences-and-Professional-Development/Tips-for-Teachers/Asking-Questions-and-36 Promoting-Discourse/ Mathematical discourse is a powerful sense-making tool, but it doesn't just happen. Students must develop both the inclination and habit of attending to each other's mathematical ideas, and they must have the time and space to make sense of, critique, and develop the ideas. Teacher talk moves are crucial supports for developing students' capacity to engage in productive mathematical discussions (Kazemi and Hintz, 2014; Chapin, O'Connor, and Anderson, 2009). Slide Source: Principles to Action: Ensuring Mathematical Success for All, NCTM, 37 2014, p.35. Ask participants about student interest in engaging in mathematical discourse. Why do some students try to avoid participating in mathematical discourse? How can the teacher help students to become more active participants in mathematical discourse? Slide Source: Virginia Department of Education Mathematics Institutes 2019 38 **Professional Development Resources** Grades 6-8 Institute PowerPoint http://www.doe.virginia.gov/instruction/mathematics/professional_development/institutes/2019/index.shtml The chart is from the work of Dr. John Hattie. He analyzed the impact of student, teacher, home, curriculum and community actions on student learning. Based on data, each action scored an Effect Rate for the ability to affect student achievement. The values range from a negative .20 to a positive 1.20. The higher the score, the greater the positive impact of the action on student achievement. Classroom discussion has an effect size of 0.82, which is more than twice what we need to know that a specific strategy will make a difference in learning. Classroom discussion is defined as "a method of teaching that involves the entire class in a discussion. Classroom discussion is a critical area with a huge effect size. Classroom discussions provide the opportunity for students to communicate with one another for a variety of functions including to activate prior knowledge, to explore new topics, to learn from others, and to demonstrate their learning. This is an engagement strategy which provides all students the

chance to participate, especially when structured in a way that extends beyond a teacher-student question and answer sequence. Consider what visiblelearning.org, asserts regarding what the most effective classrooms discussions should include: creating a series of questions for the students to think about allocating enough time in the lesson for an elaborate discussion making sure that students can freely express their opinion without being laughed at or ridiculed Slide THINK, PAIR AND SHARE 39 In pairs, ask participants to respond to the questions. Remind them to utilize their completed Effective Teaching Look Fors form. Slide 40 Slide Ask participants how posing purposeful questions can be used to inform 41 instruction and assess student understanding? Ask participants how posing purposeful questions can promote equitable learning opportunities for all students? Identify, in advance, the big ideas that your lesson examines and the mathematical outcomes that students should achieve. Take time to brainstorm the multiple approaches that could be taken to work through similar problems and the misconceptions that students might have. Make sure that you prepare questions that address these multiple approaches and misconceptions, prompting a discussion about when particular approaches are better than others and how to explain why each misconception is faulty. Close each lesson with a summarizing question that reiterates the big ideas. Slide Source: Principles to Action: Ensuring Mathematical Success for All, NCTM, 42 2014 Effective mathematics teaching relies on questions that encourage students to explain and reflect on their thinking as an essential component of meaningful mathematical discourse. Purposeful questions allow teachers to discern what students know and adapt lessons to meet varied levels of understanding, help students make important mathematical connections, and support students in posing their own questions. However, merely asking questions is not enough

to ensure that students make sense of mathematics and advance their reasoning.

Slide 43

Source: Virginia Department of Education Mathematics Institutes 2019 Professional Development Resources

Grades 6-8 Institute PowerPoint

http://www.doe.virginia.gov/instruction/mathematics/professional_development/institutes/2019/index.shtml

The chart is from the work of Dr. John Hattie. He analyzed the impact of student, teacher, home, curriculum and community actions on student learning. Based on data, each action scored an Effect Rate for the ability to affect student achievement. The values range from a negative .20 to a positive 1.20. The higher the score, the greater the positive impact of the action on student achievement.

Ask participants why Self-verbalization and Self-questioning have a greater impact on student achievement.

So much of classroom time is spent with teachers questioning the students. Cotton (1989), for example, reviewed the evidence and found questioning was the second most dominant teaching method (after teacher talk), with teachers spending between 35–50 percent of teaching time posing questioning (e.g., Long & Sato, 1983; van Lier, 1998)—that is about 100 questions per hour (Mohr, 1998)—and the responses from the teacher to the students' answers to these questions was some form of judgment or correction, primarily reinforcing in nature, affirming, restating, and consolidating student responses. Brualdi (1998) claimed that teachers asked 300 to 400 questions per day, and the majority of these were low-level cognitive questions—60 percent recall facts and 20 percent are procedural in nature (Wilen, 1991) These are not open, inquiry questions, as students understand that the teacher already knows the answer (they are "display" questions; 82 percent are of this nature: Cotton, 1989). The reason for so much questioning relates to the conceptions of teaching and learning held by many teachers—that is, their role is to impart knowledge and information about a subject, and student learning is the acquisition of this information through processes of repetition, memorization, and recall: hence the need for much questioning to check that they have recalled this information. The overall effects of questioning vary, and the major moderator is the type of question asked—surface questions can enhance surface knowing and higher-order questions can enhance deeper understanding.

Slide 44	Adapted from Smith, M. S., et al. (2017). <i>Taking Action: Implementing Effective Mathematics Teaching Practices, National</i> Council of Teachers of Mathematics, p.102
	Researchers have created a variety of frameworks to categorize the types of questions that teachers ask (e.g., Boaler and Brodie 2004; Chapin and O'Connor 2007). Though the categories differ across frameworks, commonalities exist among the types of questions. For example, the frameworks generally include questions that ask students to recall information, as well as questions that ask students to explain their reasoning. The chart above displays a set of question types that synthesizes key aspects of these frameworks that are particularly important for mathematics teaching. Although the question types differ with respect to the level of thinking required in a response, all of the question types are necessary in the interactions among teachers and students. For example, questions that gather information are needed to establish what students know, while questions that encourage reflection and justification are essential to reveal student reasoning.
Slide 45	THINK, PAIR AND SHARE With participants grouped in pairs, ask participants to respond to the questions. Remind them to utilize their completed <i>Effective Teaching Look Fors</i> form.
Slide	
46 Slide 47	Source: <i>Principles to Action: Ensuring Mathematical Success for All</i> , NCTM, 2014
	Ask participants to share their thoughts on the importance of fluency with procedures to student success in mathematics.
	Discuss with the participants the significance of the quote: A rush to fluency undermines students' confidence and interest in mathematics and is considered a cause of mathematics anxiety.
Slide 48	Source: Principles to Action: Ensuring Mathematical Success for All, NCTM, 2014 Paraphrase the bullets on the slide.
	Land the state of

Fluency is not intended as the main or sole target of instruction. Problem Solving and Reasoning that are the focus of the second teaching practice need to co-exist with procedural fluency. This occurs when students first have opportunities to develop conceptual understanding.

Computational fluency is strongly related to number sense and involves so much more than the conventional view of it encompasses. Developing students' computational fluency extends far beyond having students memorize facts or a series of steps unconnected to understanding (Baroody 2006; Griffin 2005)

Early work with reasoning strategies is related to algebraic reasoning. As students learn how quantities can be taken apart and put back together in different ways (i.e., decomposition and composition of numbers), they establish a basis for understanding properties of the operations. Students need this early foundation for meaningful learning of more formal algebraic concepts and procedures throughout elementary school and into middle and high school.

Slide 49 Source: *Principles to Action: Ensuring Mathematical Success for All*, NCTM, 2014, p. 42.

Discuss why is it important to build procedures from conceptual understanding.

Ask participants: What kind of "bizarre results' could happen if students are taught mechanical execution of procedures without understanding the mathematical basis?

Fluency is not a simple idea. Being fluent means that students are able to choose flexibly among methods and strategies to solve contextual and mathematical problems, they understand and are able to explain their approaches, and they are able to produce accurate answers efficiently. Fluency builds from initial exploration and discussion of number concepts to using informal reasoning strategies based on meanings and properties of the operations to the eventual use of general methods as tools in solving problems. This sequence is beneficial whether students are building toward fluency with single- and multi-digit computation with whole numbers or fluency with, for example, fraction operations, proportional relationships, measurement formulas, or algebraic procedures.

Slide 50	Source: Principles to Action: Ensuring Mathematical Success for All, NCTM, 2014, p. 47 Ask participants: What visual models have they used to build procedural fluency? Is it important for students to be able to explain why the procedures they used worked? Why?
Slide 51	THINK, PAIR AND SHARE With participants grouped in pairs, ask participants to respond to the questions. Remind them to utilize their completed <i>Effective Teaching Look Fors</i> form.
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Slide 53	Source: Principles to Action: Ensuring Mathematical Success for All, NCTM, 2014 Discuss with the participants the importance for students to be able to figure things out for themselves. It is through this process of figuring things out on their own that they will develop authority and ownership of their own learning.
Slide 54	Source: <i>Principles to Action: Ensuring Mathematical Success for All</i> , NCTM, 2014, p.48. In comparisons of mathematics teaching in the United States and in highachieving countries, U.S. mathematics instruction has been characterized as rarely asking students to think and reason with or about mathematical ideas (Banilower et al. 2006; Hiebert and Stigler 2004). Teachers sometimes perceive student frustration or lack of immediate success as indicators that they have somehow failed their students. As a result, they jump in to "rescue" students by breaking down the task and guiding students step by step through the difficulties. Although well intentioned, such "rescuing" undermines the efforts of students, lowers the cognitive demand of the task, and deprives students of opportunities to engage fully in making sense of the mathematics.
Slide 55	Source: Virginia Department of Education Mathematics Institutes 2019 Professional Development Resources

	Grades 6-8 Institute PowerPoint http://www.doe.virginia.gov/instruction/mathematics/professional_development/institutes/2019/index.shtml
	The chart is from the work of Dr. John Hattie. He analyzed the impact of
	student, teacher, home, curriculum and community actions on student
	learning. Based on data, each action scored an Effect Rate for the ability to
	affect student achievement. The values range from a negative .20 to a positive
	1.20. The higher the score, the greater the positive impact of the action on
	student achievement.
	There is a high relationship between engagement and degree of concentration
	on tasks. One way of enhancing concentration is to mentally visualize the
	processes and strategies involved in a task. Students who mentally visualized
	various motor tasks were more effective compared to those that did not (d =
	0.48).
	Teachers greatly influence how students perceive and approach struggle in the
	mathematics classroom. Even young students can learn to value struggle as an
	expected and natural part of learning, as demonstrated by the class motto of
	one first-grade math class: "If you are not struggling, you are not learning"
	(Carter 2008, p. 136). Teachers must accept that struggle is important to
	students' learning of mathematics, convey this message to students, and
	provide time for them to try to work through their uncertainties.
	Unfortunately, this may not be enough, since some students will still simply
	shut down in the face of frustration, proclaim "I don't know," and give up.
	Dweck (2006) has shown that students with a fixed mindset— that is, those
	who believe that intelligence (especially math ability) is an innate trait—are
	more likely to give up when they encounter difficulties because they believe
	that learning mathematics should come naturally. By contrast, students with a
	growth mindset—that is, those who believe that intelligence can be developed
	through effort—are likely to persevere through a struggle because they see
	challenging work as an opportunity to learn and grow.
Slide	Source: Principles to Action: Ensuring Mathematical Success for All, NCTM,
56	2014, p.52.
	Use the chart to engage participants in a discussion of how they support
	students to persevere in problem solving.
Slide	THINK, PAIR AND SHARE
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	With participants grouped in pairs, ask participants to respond to the questions. Remind them to utilize their completed <i>Effective Teaching Look Fors</i> form.
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Slide 59	Source: Principles to Action: Ensuring Mathematical Success for All, NCTM, 2014, p. 53 Ask participants: What can serve as evidence of student thinking when assessing progress toward understanding? How should the evidence affect what a teacher does instructionally for students?
Slide 60	Source: Principles to Action: Ensuring Mathematical Success for All, NCTM, 2014, p. 53 Ask participants: What is formative assessment? Is it possible to do formative assessment every day? If so, how?
Slide 61	Source: Virginia Department of Education Mathematics Institutes 2019 Professional Development Resources Grades 6-8 Institute PowerPoint http://www.doe.virginia.gov/instruction/mathematics/professional_development/institutes/2019/index.shtml The chart is from the work of Dr. John Hattie. He analyzed the impact of student, teacher, home, curriculum and community actions on student learning. Based on data, each action scored an Effect Rate for the ability to affect student achievement. The values range from a negative .20 to a positive 1.20. The higher the score, the greater the positive impact of the action on student achievement. Cognitive task analysis was among the highest scoring actions to affect student achievement. Ask participants to give an example of what a cognitive task might look like in the classroom and why it is so effective.

Slide 62	THINK, PAIR AND SHARE With participants grouped in pairs, ask participants to respond to the questions. Remind them to utilize their completed <i>Effective Teaching Look Fors</i> form.
Slide 63	THINK, PAIR AND SHARE — CLOSURE ACTIVITY With participants grouped in pairs, ask participants to reflect on what they have learned about the eight Effective Mathematics Teaching Practices. Ask each participant to select 1-2 Practices to study and to implement with students. In pairs, develop a list of actions they will need to take in the pursuit of mathematical success for all their students.
Slide 64	